

## Leaching

Leaching - percolation of liquid through a bed of solid

Leachy of solid from wood ashes

Solid liquid extraction

Decoction - Use of solvent at boiling or higher.

If solid in an surface - extraction / elutriation

And operation is costly from des  $H_2SO_4$  | ammoniacal solution

Gold - NaCN solution

Leachy of des to extract. is practical for  $Al, Co, Manganese, Ni, Zn$

Sugar from sugar cans - leaching  
 why water as solvent

Vegetable seeds: organic solvents

Tannin: wood-bark of birch  
tasty water.

Bollman extractor

Basket type m/c  
Solids are tapers in perforated baskets  
The baskets are attached to a chain  
conveyor. The conveyor takes the baskets  
down on the right and up on the left  
left as per the arrangement shown in fig.

It is a continuous operation of contact  
between solids & solvent

As the baskets move downwards, each  
of solids & solvent contained in a parallel  
flow by dilute solution. The solvents  
collected at the bottom of the vertical  
held column. This miscella is pumped  
and raised to spray over the basket at  
the top. The liquid solvent & miscella  
through the solids from basket to basket.

On the other side, when the baskets  
are rising the solids are leached counter  
currently by a spray of fresh solvent to form  
half miscella. A short drainage on the  
provided at the top. This miscella is below  
the solvent spray sections.

Leaching of solute from a feed (solid) using a liquid solvent  
Three components system

Solid feed contains solid + solute

Solid is insoluble in solvent

Solute is soluble

Notations:

Insoluble solid - B

Solute - C

Solvent - A.

Ternary diagram can be used

Crucially, the construction into one corner of such a system is the disadvantage for leaching system.

Hence rectangular diagram is used  
Coordinate system is used

Notations:

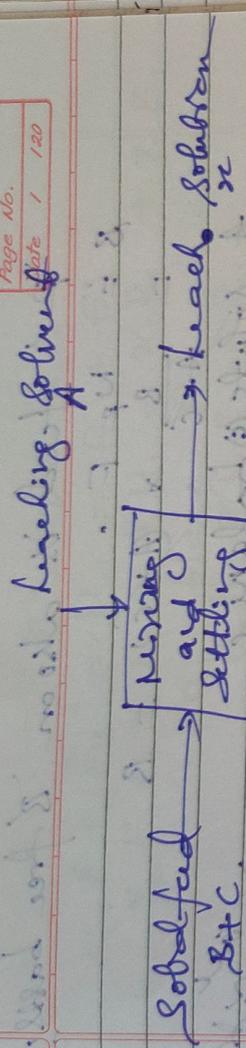
Concentration of insoluble 'B' will be expressed as  $N = \frac{\text{mass of B}}{\text{mass (A+C)}}$ .

The solid may be wet with liquid or not,  $N = \left( \frac{W}{A+C} \right)$

$x = \text{wt. fraction 'C' in effluent solution on 'S' free basis}$

$$x = \frac{c}{A+C}$$

$y = \text{wt. fraction 'C' in solid} / \text{sum} = \frac{c}{A+C}$



'y' - wt% of solids in leached solid includes

(a) All solids associated with the mixture - dissolved in adhering solution as well as undissolved or adsorbed solids

Before operation if the solid is dry

$N = \frac{B}{A+C}$  ;  $A=0$  ; Insoluble substances

$$N = \frac{B}{0+C} = \frac{B}{C}$$

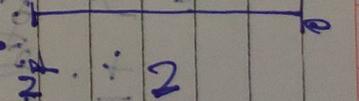
$$y = \frac{C}{A+C} = \frac{C}{C} = 1$$

For pure solvent used in the operation

$N=0$  ;  $B=0$  ;  $A=10$  ;  $C=0$  ;  $N = \frac{B}{A+C} = 0$

$N=0$  ;  $B=0$  ;  $N = \frac{B}{A+C} = 0$

$$x = \frac{C}{A+C} = 0$$



Free feed is also on 'B' free basis,  $F = A + C$

$$B = NP F$$

$$= \frac{B}{A+C} \times (A+C) = B$$

A solute (C) balance

$$F + R_0 = E_1 + R_1$$

$$F Y_F + R_0 x_0 = E_1 Y_1 + R_1 x_1$$

$R_0$  is the notation used for solvent

Solids to be leached

B - insolubles

$$F - A + C$$

$$NP = \frac{B}{A+C}$$

$$Y_F = \frac{C}{A+C}$$

leached solid

S = insolubles

$$E_1 = \frac{B}{A+C}$$

$$y_1 = \frac{C}{A+C}$$

leached solution

$$R_1 = A + C$$

$$x_1 = \frac{C}{A+C}$$

$$R_0 = A + C$$

$$x_0 = \frac{C}{A+C}$$

Single stage operation

Let fr of C in thick of A = 1.0

$$x_0 = 1.0$$

Let fr of A in solid =  $1 - x$

Let fr of C in solid =  $y$

Let fr of A in solid =  $1 - y$

$$F + R_0 = M_1 = G + R_1$$

$$B = NP F = E_1 N_1$$

$$B = N_P F = N_1 E_1$$

$$F + R_0 = M_1 = R_1 + E_1$$

$$\gamma_P F + \alpha_0 R_0 = \gamma_1 M_1 = \alpha_1 R_1 + \gamma_1 E_1$$

So replace  $R_1$  by  $\frac{M_1 - E_1}{\alpha_1}$

$$M_1 = R_1 + E_1$$

$$\gamma_1 M_1 = \alpha_1 \left( \frac{M_1 - E_1}{\alpha_1} \right) + \gamma_1 E_1$$

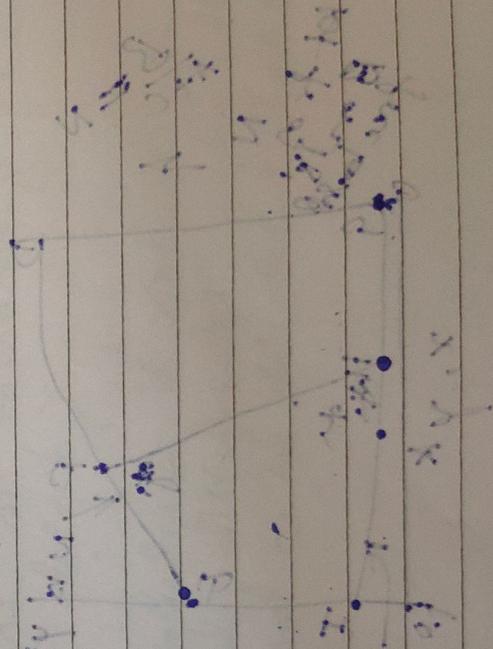
$$\gamma_1 M_1 = M_1 - E_1 + \gamma_1 E_1$$

$$\gamma_1 M_1 = M_1 \alpha_1 + E_1 (\gamma_1 - \alpha_1)$$

$$E_1 = \frac{M_1 (\gamma_1 - \alpha_1)}{(\gamma_1 - \alpha_1)}$$

Hence find  $B_1 = M_1 - E_1$

$$\gamma_M = \frac{\gamma_P F + \alpha_0 R_0}{M_1} \text{ where } M_1 = F + R_0$$



... made ... trip ...  
 ...  
 ...  
 ...

# Leaching

## Equilibrium Curves

Case i. Solute C is infinitely soluble in the solvent A.

Values of  $x$  and  $y$  values may have over the range 0 - 1.0

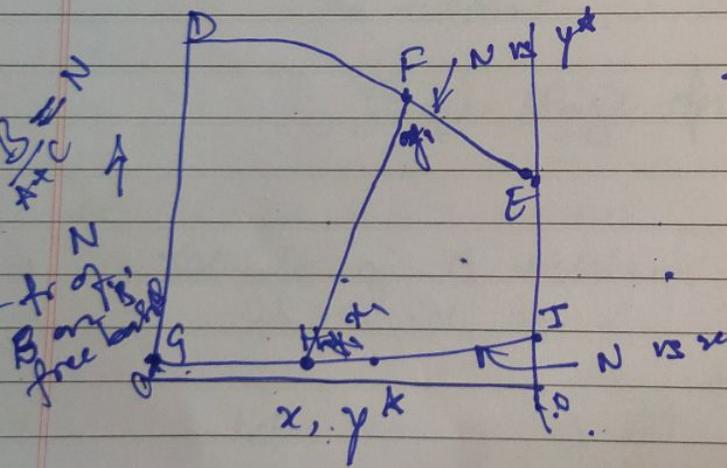
$x$  - wt fr in leach solution  
 $y$  - wt fr in leached solid

S<sub>1</sub>: Soyabean oil (C)

Soyabean seed (B)

Hexane (A)

oil (C) and Hexane (A) are infinitely soluble



The curve GHTJ is leach solution data

The curve DFE is leached solid data

The curve GHTJ lies above  $x$ -axis  
 i.e. above  $N=0$ .

Above  $N=0$  means that

- Either solid (B) is partially soluble in the solvent (A) OR
- an incompletely settled liquid has been withdrawn

~~note that~~ Note that

$N=0$  represent

no solid is soluble in solvent A  
And also clear liquid is withdrawn

The TIC lines such as FH are not vertical, means  $x \neq y$

And as in figure  $y^* > x$

This will result. ~~remain:~~

(i) If insufficient time of contact with leaching solvent to dissolve all solute is permitted.

(ii) If preferential adsorption of the solute occurs (Some solute C is adsorbed & cannot be leached by washing, requires reducing the pressure or increasing the temperature to desorb)

(iii) If the solute (C) is soluble in the solid B and distributes unequally between the liquid and the solid phases at equilibrium.

Case ii) No adsorption of solid (S) on solid (B)

i. The leach solution and the solution associated with the leached solid (after separation of two layers) have same composition.

ii.  $x = y$  ∴ the tie lines are vertical.

iii.  $N$  in leach solution is fixed, hence merges with  $x$ -axis ( $N$  vs  $x$ )

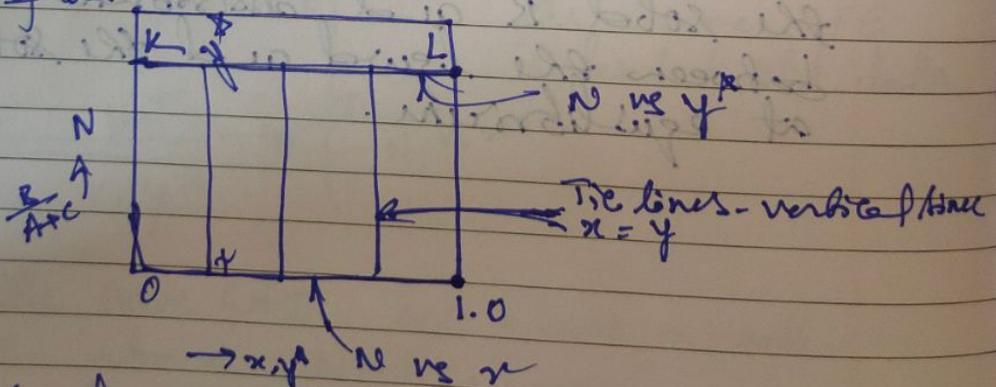
iv.  $N$  in leached solid is constant 'for all the data of leached solid phase'

$$N = \frac{y^*}{x} = \text{constant}$$

The distribution coefficient =  $\frac{y^*}{x}$

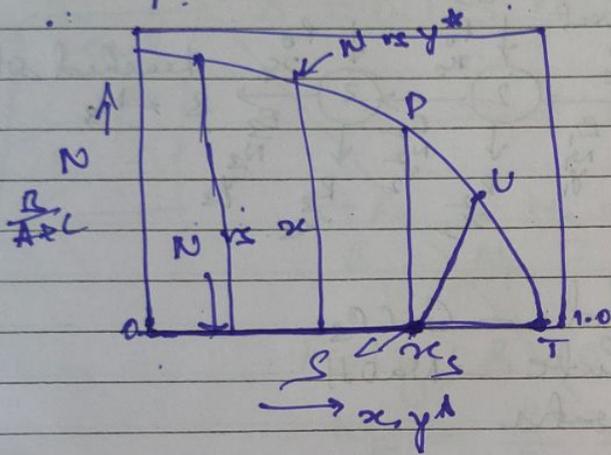
$$= 1.0$$

Hence  $K_L$  ( $N$  vs  $y^*$ ) is horizontal. This condition is referred as 'constant overflow'.



Constant overflow refers to the solids are settled or drained to the same extent at all solute concentrations. The leach solution contains no solid (S) either dissolved or suspended.

Case iii) Substance B is either dissolved or suspended in solvent A.



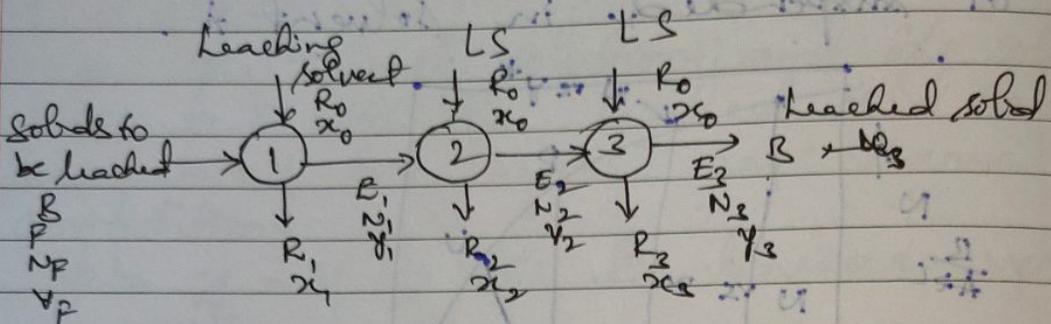
unsaturated solution

i. The solute C has limited solubility in the solvent A.

ii No clear solution stronger than  $x_s$ . Any  $x$  less solution with concentration of C greater than  $x_s$  do not exist as the solubility of C in solvent is limited.

23 g of solute C  
100 g solution (A+C)  $\Rightarrow x_s$   
C can be dissolved in the solution (A+C)

# Multi-stage cross current operation



Solid -  $\text{CaCO}_3$

Solute -  $\text{NaOH}$

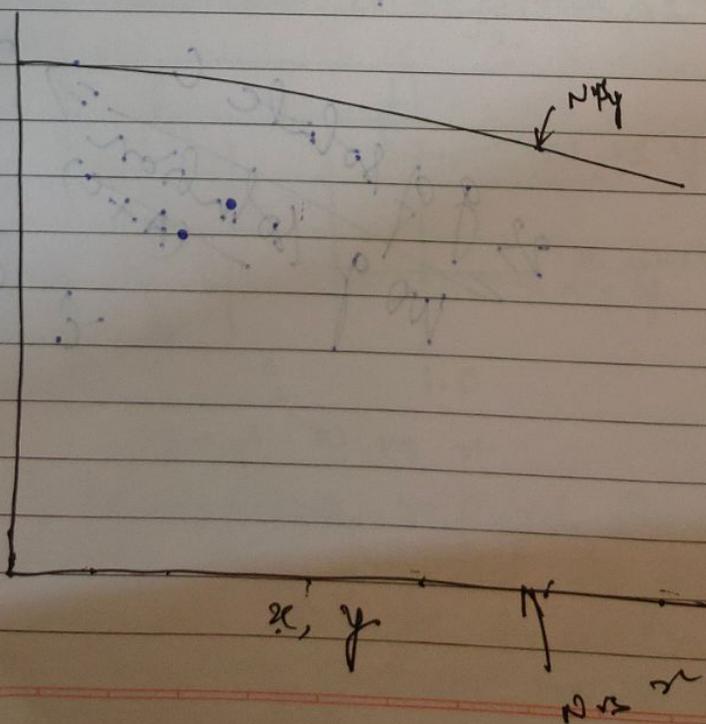
Solvent - water

$N = 0$  since  $\text{CaCO}_3$  is insoluble in water, chosen as the solvent.

Sufficient time is given for settling.

Separate, so that clear liquid is withdrawn as 'R' stream, and hence

'N' is 'R' phase is zero for all the cases.

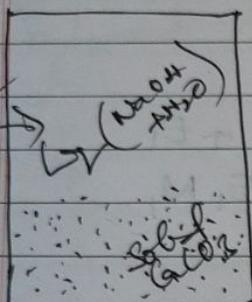
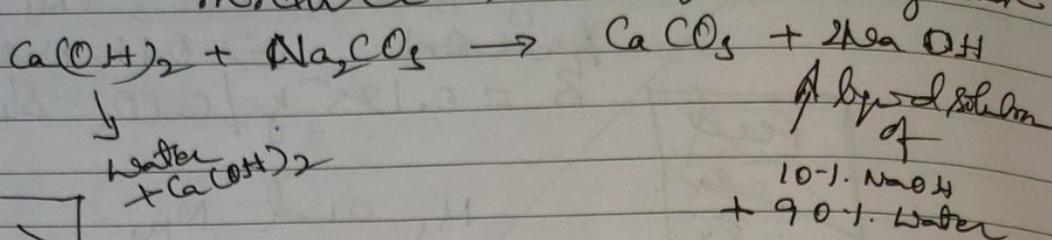


$N$  vs  $y$  in  $E$

$N$  vs  $x$  in  $R$

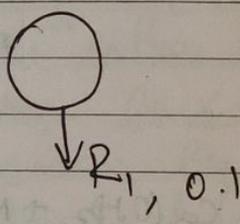
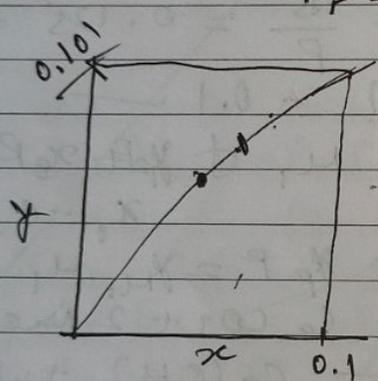
$N = 0$  for  $R$

$F = 1 \text{ kg}$  solution in the original mixture ;  $0.125 \text{ kg CaCO}_3 / \text{kg soln}$



$M_1 = 1 \text{ kg}$   
 $y_{M_1} = 0.1$  ;  $N_{M_1} = \frac{B}{A+C} = 0.125$

$B = N_F F$   
 $B = 0.125 \text{ kg/kg solution}$   
 $N_F = B/F = \frac{0.125}{1} = 0.125$   
 $M_1 = 1 \text{ kg}^1, F = 1 \text{ kg}$



$F + R_0 = M_1 = R_1 + E_1$

$R_0 + E_1 = M_2 = R_2 + E_2$

$E_1 = \frac{B}{N_1}$

$N_{M_2} = \frac{B}{E_1 + R_0} = \frac{B}{M_2} = \frac{0.125}{1.0}$

Location  $M_2$  may

$E_2 = \frac{B}{N_2} = \frac{0.125}{0.62}$

$R_0 + E_2 = M_3 = R_3 + E_3$

$N_{M_3} = \frac{0.125}{1} = 0.125$

$y_{M_3} = \frac{C}{A+C} =$

$$B_3 y_3 = 0.187 \text{ kg} (0.12) = \underline{\underline{0.02274}}$$

$$\frac{0.0227}{0.1 \text{ kg NaOH}} \times 100 = 2.27\%$$

### Stages : Illustration 13.2

Given data Not all

- i.  $F = 1 \text{ kg}$  (on 'B free basis')
- ii.  $M_1 = 1 \text{ kg}$  (0.1 kg NaOH + 0.9 kg solution)
- iii.  $y_F = y_{M_1} = 0.1$
- iv. Fresh solvent in second & third stage

$$x_0 = 0$$

$R_0$  is equal to  $R_1$

$$\text{Hence } M_1 = M_2 = M_3$$

- v.  $B = 0.125 \text{ kg/kg}$  solution

$$\text{vi. } N_{M_1} = \frac{B}{F} = \frac{0.125}{1} = 0.125$$

- vii. Given  $N$  (in  $E$ ),  $y^*$  and  $x$

- viii. Given  $\text{CaCO}_3$  is insoluble in water

Hence 'B' in 'R' is zero

$$N = (B/A+C)_{\text{in } R} = 0$$

for all the conditions  $N$  vs  $x$  is merging with  $x$ -axis.

- ix. Draw  $N$  vs  $y^*$  and  $N$  vs  $x$  on the same graph sheet

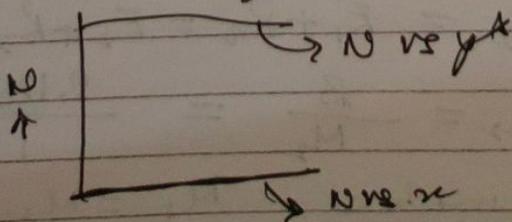
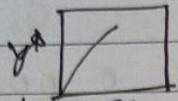


Fig: Spun down paper

x. Draw  $y^*$  vs  $x$  on a separate graph



$y^* > x$   
(Curve above  $45^\circ$  line)

Stage 1: Fig 2: Distribution curve

xii. Locate  $M$  using  $x_M = 0.1$   
 $N_M = 0.125$

xiii. End  $y^*$  &  $x$  from distribution curve when joined on equilibrium curve (Fig 1), should pass through  $M_1$ .

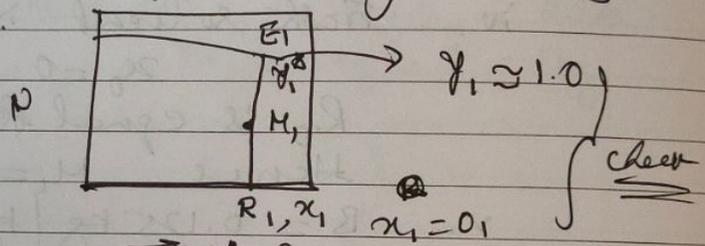


Fig 3:  $x, y^*$  solution

xiii. Read  $y$ -axis value corresponding to  $E_1$ , located on  $N$  vs  $y^*$ , to get  $N_1 = 0.47$   
&  $y_1 = 0.1001$

Find  $E_1 = \frac{B}{N_1}$  ( $B = N_p F = E, N_1 = E, N_2 = E, N_3$ )  
since 'B' is insoluble and no 'B' in 'R' ( $R_0, R_1, R_2, R_3$ )

$$E_1 = \frac{0.125}{0.47} = 0.26648$$

xiv.  $R_1 = M_1 - E_1 = 1 - 0.266 = 0.734$  kg

Stage 2:

xv.  $M_2 = E_1 + R_0 = E_2 + R_2 = 1.0 = 0.266 + 0.734$

$$N_{M_2} = \frac{B}{M_2} = \frac{0.125}{1} = 0.125$$

Remember  $M_1 = M_2 = M_3 = 1.0$  kg  
Hence  $N_{M_1} = N_{M_2} = N_{M_3} = 0.125$

Some  $E_1 + R_0 = M_2$

Locate  $M_2$  on  $E_1 R_0$  line  
at  $N_{M_2} = 0.125$

(Read optional, not required for calculation  
 $\gamma_{M_2} =$ )

xvi. Find  $\gamma^*$ ,  $x$  from Fig 2 to pass through  
' $M_2$ ' point, locate  $E_2$  at  $\gamma^*$   
of  $R_2$  at  $x$

xvii. Join  $R_0 E_2$  since  $R_0$  is fed to  $E_2$   
Read  $N_2$  (y-axis value of  $E_2$ ),  $\gamma^* = \gamma_2$ ,  $E_2 = \frac{B/N_2}{0.035} = \frac{0.125}{0.035} = 0.202$

xviii. Locate  $M_3$  on  $R_0 E_2$  line at  
 $N_{M_3} = 0.125$

xix. Find  $\gamma^*$  &  $x$  from Fig 2 to  
locate  $R_3$  at  $x$  and  $E_3$  at  $\gamma^*$

$$\gamma^* = \gamma_3 \quad \gamma_3 = 0.012$$

Read  $N_3$ , Find  $E_3 = \frac{B/N_3}{0.0682}$ ,  $E_3 = \frac{0.125}{0.0682} = 0.189$

xx.  $E_3 \gamma_3 = 0.189(0.012)$   
 $= 0.00227$

i. NaOH unrecovered =  $\frac{0.00227}{0.1 \text{ kg NaOH in feed}} \times 100$   
 $= \underline{\underline{2.27\%}}$